



# “Credit Market and Macroeconomic Volatility”

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# Summary

- $\gamma \downarrow$  CAN lead to amplification  $\uparrow$  (theory)
- $\gamma \downarrow$  WILL lead to  $\sigma(y) \uparrow$  (theory + empirics)



## Summary

- Discussion:
- $\gamma \downarrow$  CAN lead to amplification  $\uparrow$  (theory)
- Significant contribution
- $\gamma \downarrow$  WILL lead to  $\sigma(y) \uparrow$  (theory + empirics)
- Challenge this

## $\gamma \downarrow$ CAN lead to amplification $\uparrow$ (theory)

- Kiyotaki-Moore: collateral constraints can generate amplification in non-standard model
- Cordoba-Ripoll: generally small effects under standard assumptions
- This paper counters the latter: significant amplification can arise in standard model (with capital reallocation) if stronger rationing is allowed for



$\gamma \downarrow$  **WILL** lead to  $\sigma(y) \uparrow$

- Theory:
  - What does the model say about  $\text{corr}(\gamma, \sigma(y))$ ?
- Empirics:
  - What do the data say about  $\text{corr}(\gamma, \sigma(y))$ ?

## Theory: given measure of volatility

- Model can have  $\text{corr}(\gamma, \sigma(y)) > = < 0$
- Ways to see this
  - ▶ In the one sector model:
    - Can generate all signs: inverse U (figure 10d, 11c)
    - Two sector model nests the one sector model
  - ▶ In the two sector model
    - Simplifying assumptions help to get model intuition across
    - But need to assess robustness of the relation for different parameter values
    - E.g. introducing more heterogeneity between the groups: what happens if unconstrained sector is more productive?

## Theory: Measure of Volatility

- “volatility” = amplification after productivity shock
- When studying the effects of changing  $\gamma$ 
  - The amplification measure ignores the output volatility generated by the transition from one steady state to the other, that takes place because of the change in  $\gamma$
  - This (unconditional) volatility:
    - Need not respond in the same direction as amplification after productivity shock
    - Is more tightly linked to the research question (the effect of  $\gamma$  on  $\sigma(y)$ ), so why not use it?



## Theory

- $\text{corr}(\gamma, \sigma(y)) < 0$  is not a robust feature of the model
- It depends on
  - Other parameters in the model
  - Measure of volatility chosen





## What do the data say about $\text{corr}(\gamma, \sigma(y))$ ?

- Paper result:  $\text{corr}(\gamma, \sigma(y)) < 0$
- How does this relate to:
- Existing evidence?
  - Kent, Smith and Holloway (2005): zero or positive (OECD countries)
  - Easterly, Islam and Stiglitz (2001): non-linear
- The model?
  - Raddatz (2003) and Larrain (2004): negative in data, but compete for alternative explanations
  - This paper also has within-country implications that could be tested to validate the model
    - Q implications of this model suggest caution



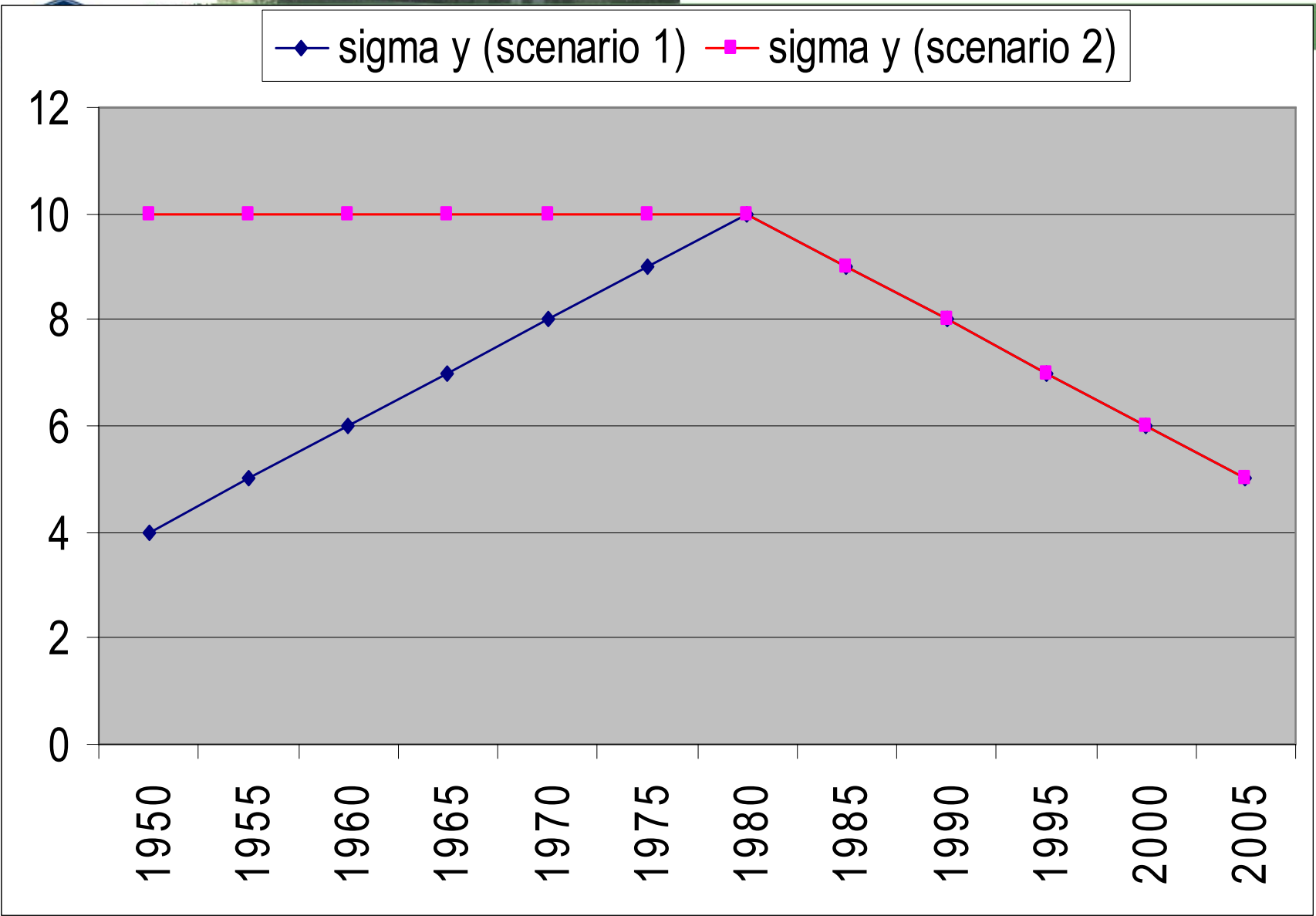
## Is $\gamma \uparrow$ at the root of the Great Moderation?

- Paper result:  $\text{corr}(\gamma, \sigma(y)) < 0$ , so yes.
- For OECD
- Post 1983



## Is $\gamma \uparrow$ at the root of the Great Moderation?

- Example: US
  - Example applies to many OECD countries
- $\sigma(y) \downarrow$  started only in early 80's
  - Scenario 1: increased prior to 80's
  - Scenario 2: constant prior to 80's

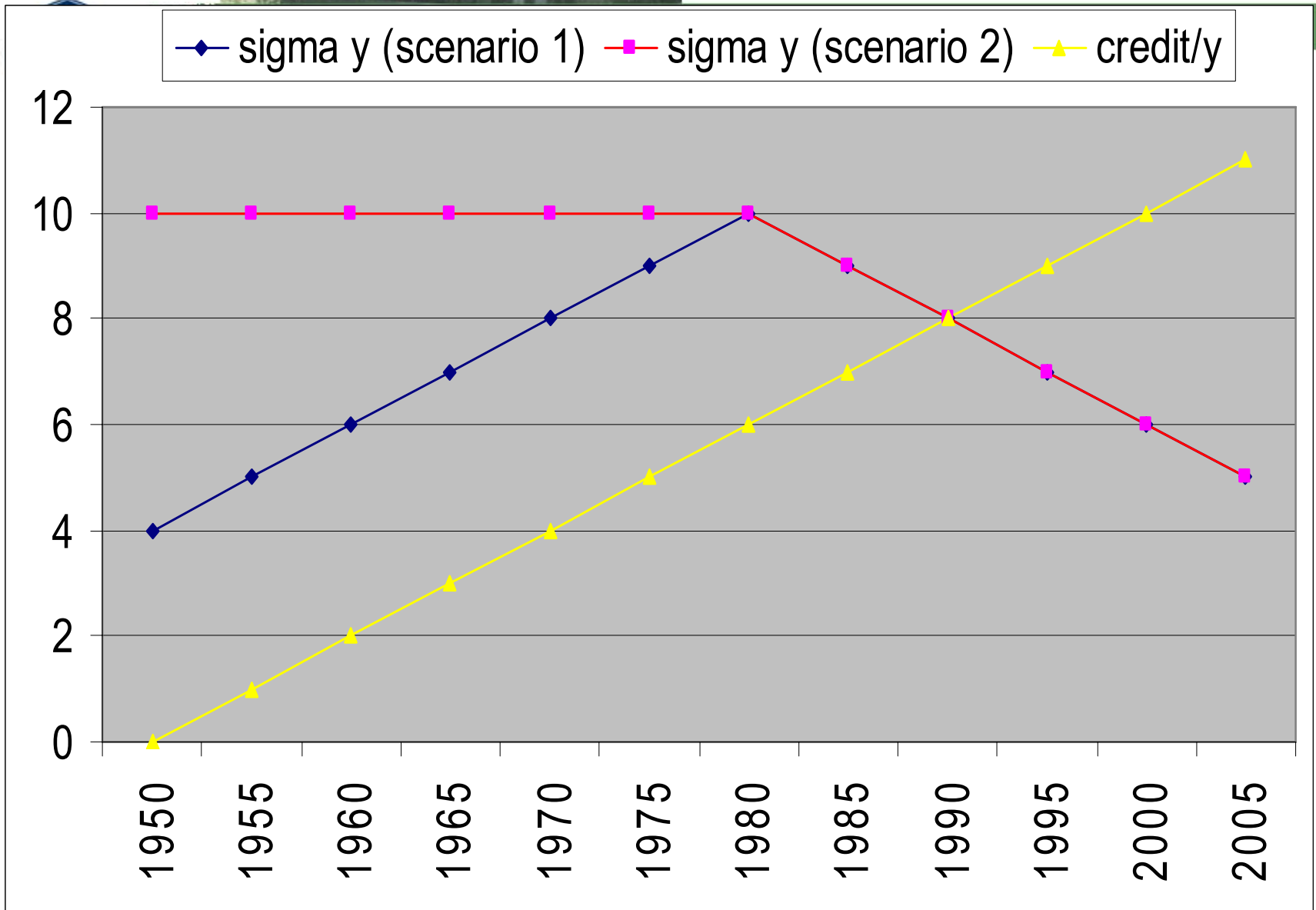


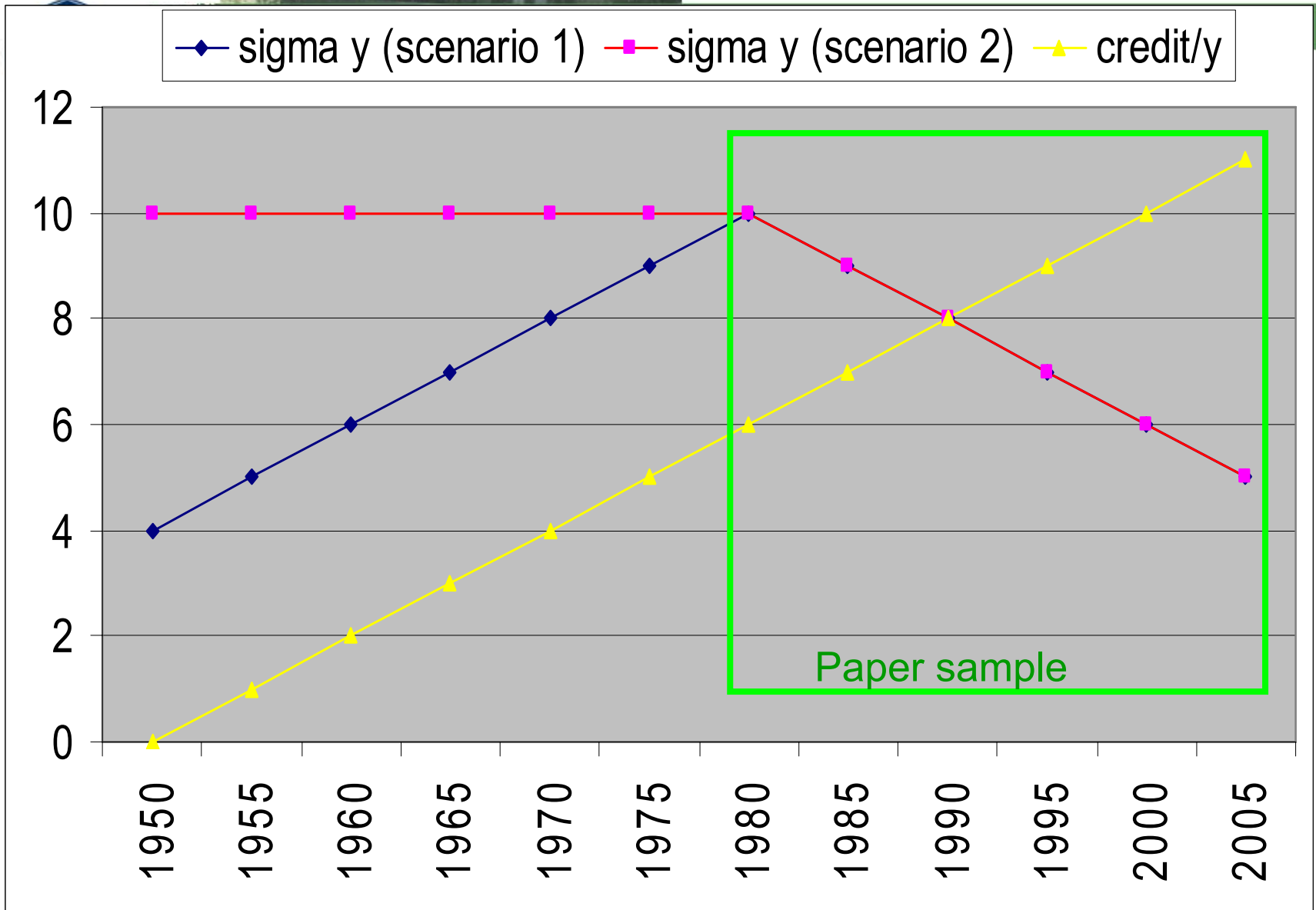


## Sample period (cont'd)

- Credit/y  $\uparrow$  fairly continuously:
  - ▶ Table: private credit / GDP
  - ▶ (Source: US FOF, households+nonfinancial businesses)

1955	1965	1975	1985	1995	2005
66.1	89.4	97.5	115.1	121.3	158.9







## Sample period

- This is a challenge for the model (as discussed by the author):
  - In a longer sample the negative correlation may break down (scenario 2) or even become positive (scenario 1)!
- Bad news?
  - Not necessarily, because the model CAN, but **NEED NOT** have  $\text{corr}(\gamma, \sigma(y)) < 0$





## Conclusion

- $\gamma \downarrow$  CAN lead to amplification  $\uparrow$
- Significant theoretical contribution
  
- $\gamma \downarrow$  WILL lead to  $\sigma(y) \uparrow$
- NOT NECESSARILY
  - Not in the data
  - Not in the model
  - Which is exactly why this may be a good model!



## Suggestions

- Use unconditional measure of volatility
- Validate the mechanisms specific to this model
- To explain the Great Moderation, need to answer why  $\gamma \uparrow$  did not generate lower volatility prior to 80's